Paper:
Abstract—In this work, we study the change in the sensitivity and the electrochemical impedance of continuous glucose monitoring sensors over time. 28-day sensitivity and EIS measurement results on four similar sensors are presented. The sensitivity of the sensor is observed to be related to its double-layer capacitance and charge-transfer resistance, based on results acquired from a sensor that showed substantial sensitivity drop. Two data clusters are extracted that relate the sensor sensitivity to its impedance before and after the sensitivity drops by more than 50%.

I. INTRODUCTION

The next generation of medical devices are emerging to enable continuous health-care monitoring of patients at home [1], [2]. Such devices use electrochemical sensors to measure metabolites in a fast, inexpensive and reliable way. A notable example that is commercially available is continuous glucose measurement (CGM) device that uses enzymatic electrochemical glucose sensor for management of diabetes [3].

One of the major challenges in electrochemical sensors is their constant need for calibration and limited lifetime. This is partly due to the biofouling effects that occur during the implanted period. The calibration is in particular crucial as the sensitivity of the sensor changes over time even during its lifetime. For example, a calibration step for the CGM sensor is traditionally done through a finger-stick test, and is required at least once a day to obtain accurate and reliable results [4]. A finger-stick test, takes extra time and causes inconvenience for diabetic subjects. As a result, it is necessary to investigate methods to simplify conventional calibration process towards lower cost, more convenient, and less time-consuming options.

The electrochemical sensor can be modeled by a network of capacitors and resistors representing its electrical impedance. The electrical impedance of the glucose sensors has been studied in the literature where in particular one impedance parameter (i.e. the charge transfer resistance) is shown to be dependant on the glucose concentration [5], [6] and on the sensor fabrication steps [7].

We hypothesized that some parameters in the sensor impedance have strong correlation with the sensor performance. This has been experimentally proven for the amperometric gas sensors, where the double layer capacitance of the sensor is shown to be linearly proportional to the sensitivity of the sensor [8]. The impedance spectroscopy has been also used to determine the health of the Lithium-ion battery cells [9], electric double-layer ultracapacitors [10], fuel cell systems [11] and glucose sensors [12], among other applications [13]. Motivated by these promising results, we make an attempt to find the correlation between the sensitivity of electrochemical biosensors with their impedance.

In this work, we take the commercially available CGM sensor as an example (of electrochemical biosensors) and monitor its impedance and sensitivity over time and study the correlation between them. The discovery of a correlation paves the way to building a self-calibration algorithm. Such an algorithm enables the prediction of sensor performance, in particular its sensitivity, through measuring its impedance.

In the following Section an introduction is given on the electrochemical sensors along with the most common RC-equivalent circuit model. Section III described the material and methods. Section IV demonstrates the measurement result and discussion followed by the conclusions and future work.

II. ELECTROCHEMICAL SENSORS

The electrochemical glucose sensor is a three-electrode-based electrochemical cell. The electrodes are named working, reference and counter electrodes and their voltage and currents are controlled and measured through a potentiostat. The sensor is made sensitive and selective to glucose through the use of a selective enzyme. Suitable membranes are also designed to cover the sensor to inhibit interferer biomolecules from reaching the sensor [14]. The sensor transforms the chemical quantity (i.e. glucose concentration) into an electrical current which is subsequently measured through a readout circuit. The sensor sensitivity, $S$, is defined as the ratio of the change in sensor current, $I_S$, to the change in glucose concentration, $C_G$:

$$S = \frac{\Delta I_S}{\Delta C_G}$$  (1)

A. RC-Model of Electrochemical Sensors

The structure of the electrochemical cell can be interpreted by its impedance measured under the excitation of a sinusoidal signal with relatively small amplitude. The cell can be modeled on the basis of its impedance using an equivalent circuit that creates a current with an identical amplitude and phase characters to the real cell, once exited with the same ac
Fig. 1: The typical Randles equivalent model for an electrochemical cell.

Fig. 2: Nyquist plot of the Randles Model showing a semi-circle at high frequencies and a unity slope line at low frequencies.

Among the existing models, Randles equivalent circuit [16] is the most frequently used which is also adopted in this work to model the sensor.

The schematic of the model is shown in Fig. 1 where $R_\pi$, represents the resistance of the solution (mainly electrolyte), passing through both currents branches. The interface of electrode and electrolyte is approximated by $C_d$ the double-layer capacitance [17] in parallel with the faradaic impedance, $Z_f$. The parallel structure was introduced to reflect that the total sensor current, $I_S$, consists the double-layer charging current, $I_c$, and the faradaic process, $I_f$:

\[
I_S = I_c + I_f
\]

The general faradaic impedance $Z_f$ consists of $R_{ct}$, the charge-transfer resistance, which is mainly due to oxygen reduction reaction, in series with the Warburg impedance, $Z_w$, which represents the resistance to mass transfer process [15]. Assuming a semi-infinite linear diffusion, the $Z_w$ can be represented by two frequency-dependent real and imaginary elements $R_w$ and $C_w$ [18]:

\[
Z_w = R_w + j\frac{1}{\sigma\omega \cdot C_w}
\]

\[
R_w = \frac{\pi^2}{j}\sigma\omega^{-1/2}
\]

\[
Z_{C_w} = -j/\omega C_w = -j\sigma\omega^{-1/2}
\]

Where $\sigma$ is the Warburg diffusion coefficient of ions in the electrolyte and has the unit of $\Omega \cdot s^{-1/2}$. The Randles model is a simplified model which considers the interface of electrode and electrolyte as a pure capacitor $C_d$. This element in reality, named constant phase element (CPE) and is frequency dependent. The constant phase phenomenon occurs at the interface of metal, insulator and solution [15].

B. Mass and Kinetic regions

Since faradic impedance is frequency-dependent, EIS measurement are usually conducted at a wide range of frequency [19]. By studying the Bode and Nyquist plots of the Randles equivalent circuit, theoretical deductions at both extreme frequency ends can be made for simplicity. At low frequencies the imaginary part of the impedance can be simplified to [15]:

\[
Z_{Im} = Z_{Re} - R_\pi - R_{ct} + 2\sigma^2 C_d
\]

here, $Z_{Im}$ is a linear function of $Z_{Re}$ with a unity slope as depicted in Fig. 2 a. The interception point with x-axis is at $Z_{Re} = R_\pi - R_{ct} + 2\sigma^2 C_d$.

Equation 6 indicates that only the Warburg impedance affects the shape of spectroscopy plot at low frequencies, and the linearity of the Nyquist plot in this region is considered as a behavior of a process mainly controlled by diffusion of ions to and from the electrode. This is commonly referred to as the mass-transfer region within the sensor operation [15].

At high frequencies the Warburg elements becomes insignificant. Thus the relationship between the real and imaginary parts of the impedance can be written as:

\[
\left( Z_{Re} - R_{pi} - R_{ct} \right)^2 + Z_{Im}^2 = \left( \frac{R_{ct}}{2} \right)^2
\]

Here, the Nyquist plot shows a semi-circle behaviour and the region is referred to as the sensor kinetic region. The semi-circle is centered at the point $Z_{Re} = R_\pi + \frac{R_{ct}}{2}$ and has a radius of $\frac{R_{ct}}{2}$. By combining these two cases, impedance change in the entire frequency range is illustrated in Figure 2. Further details could be found in [15].

III. MATERIAL AND METHODS

A. Sensors and chemicals

The measurement in this work are focused on the performance of the commercially available Enlite Glucose Sensor for continuous glucose monitoring in skin interstitial fluid (ISF), which is developed by Medtronic Ltd. The Enlite sensor has three electrodes on a needle-shape flexible substrate with an approximate dimension of 8 mm × 0.3 mm. Four sensors were measured. All sensors used in the measurement were stored in solution of 5.0mM glucose solution added with 30mg/ml of albumin to simulate the conditions of ISF [20], [21]. The sensor were stored in temperature and humidity chamber (model SH221) manufactured by ESPEC at 37°C. 100mM PBS solution and 100mM dextrose stock solution were made with the tablets and powder (both from Sigma Aldrich), respectively, dissolved in distilled water.

B. Measurement instrument and techniques

All measurements were performed by CHI760E Electrochemical Workstation by CH Instruments, Inc. To find the sensitivity of the sensor, Chronoamperometry measurements were performed (at 0.53 V voltage) at multiple concentrations of glucose in Phosphate Buffered Solution (PBS) in the following way. After an initial sensor conditioning (approximately 10 minutes) in PBS, the glucose concentration was increased by 2.5 mM steps to cover the concentration range of 0 to 20 mM. The measurements were repeated everyday for 28 days. EIS measurements (at 0.53 V DC plus 5 mV ac input, ranging from 10 Hz to 1 MHz) were also conducted at each concentrations after routine chronoamperometry.
C. Data Extraction

Five parameters of the Randles equivalent circuit are extracted from the EIS measurements: $R_{\Pi}$, $R_{ct}$, $C_d$, and the resistive / capacitive components of the Warburg impedance along with the sensor sensitivity. The parameters are extracted using the circle fitting (Taubin method [22]) and least-squares linear-regression techniques in Matlab.

IV. RESULTS AND DISCUSSION

The measured sensitivity of the four sensors versus day from the start of the measurements are plotted in Fig. 3 (left) where a substantial drop to below 50% of the initial sensitivity is observed in sensor No.1 at the 15th day. All the other three sensors only show a gradual decrease in sensitivity.

Fig. 4 shows chronoamperometry measurements with sensor No.1 at two days (5th and 28th) before and after the sensitivity drops. Here, an increase in the settling time (i.e. slower response) is observed in addition to the reduced current-step size at day 28th compared to day 5th.

The measured Nyquist plots (see Fig. 5) show a change in the kinetic region of Sensor No.1 after day 15th when the sensitivity drops. At a fixed concentration (i.e. 20 mM) the radius of the semi-circle has increased after day 15th. The extracted charge resistance, $R_{ct}$, and double layer capacitance, $C_d$ of sensor No.1 (at 20 mM glucose concentration) are plotted versus the sensor sensitivity Fig. 6 where each dot indicates one day of measurement. Here two clusters are recognized which imply the existence of a correlation between the sensitivity and $C_d$: when the $C_d$ is about 4 nF, the sensitivity is close to 1.05 nA/mM; When $C_d$ increases to 6.8 nF, the sensitivity has dropped to approximately 0.4 nA/mM. The two clusters are observed to have different $R_{ct}$ values: 1120 and 650 Ω. A summary of all the ranges of data points within the two clusters are reported in Table I. The real part of the impedance of sensor No.1 is plotted versus frequency in Fig. 7 showing a clear change of amplitude in the middle frequencies (eg. at 1 kHz) before and after the sensitivity drop. Although any of $R_{ct}$, $C_d$, or $Z'|_{1kHz}$ indicate the change of sensitivity, only the clusters based on $C_d$ are inclusive of all data points.

The acquired data from sensor No. 2,3,4 (at 12.5 mM glucose concentration) fall within a first cluster as no substantial drop in their sensitivity was observed over the 28-day period. The $C_d$ and $R_{ct}$ in the first cluster of all four sensors are within 15% of 4.25 nF and 18% of 1100 Ω.

The gradual drop in the sensitivity of the sensors could be attributed to the reduced sensitivity of the enzyme over time as well as the biofouling effect where the Albumin protein gradually encloses the sensor. The sudden drop in the sensitivity of sensor no. 1 might be due to the delamination of a biosensing surface in the molecular recognition element layer of the sensor (i.e. the Glucose oxidase enzyme and membranes). The presented results indicate that such a substantial drop in sensor sensitivity can be predicted through the measurement of impedance parameters in parallel with normal chronoamperometry measurement. For example a substantial increase in $C_d$ or decrease in $R_{ct}$ or $Z'$ can be used as an indication of the end of the life-time of the CGM sensor.

V. CONCLUSION

We studied the electrochemical impedance and the sensitivity of commercially available CGM sensors over a period of 28 days. The results show two data clusters around the initial and the reduced sensitivities of the sensor indicating that sensitivity is correlated with $C_d$ and $R_{ct}$ as well as $Z'|_{1kHz}$. A substantial change in any of these can be used as an indication of the end of the life-time of the CGM sensor.

The presented results pave the way to developing techniques for sensor self-calibration with impedance spectroscopy. Such
TABLE I: Clusters relating sensitivity to EIS parameters (data of day 14th is excluded from $R_{ct}$ and $Z'$ clusters)

<table>
<thead>
<tr>
<th>Sensor No.</th>
<th>$C_d$ (nF)</th>
<th>$R_{ct}$ (Ω)</th>
<th>$Z'_{14H}$ (kΩ)</th>
<th>S (nA/mM)</th>
<th>$C_d$ (nF)</th>
<th>$R_{ct}$ (Ω)</th>
<th>$Z'_{14H}$ (kΩ)</th>
<th>S (nA/mM)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>4.2±0.3</td>
<td>1120±200</td>
<td>1.2±0.14</td>
<td>1.05±0.15</td>
<td>6.8±0.6</td>
<td>650±50</td>
<td>0.7±0.04</td>
<td>0.4±0.2</td>
</tr>
<tr>
<td>2</td>
<td>3.9±0.29</td>
<td>1060±120</td>
<td>1.18±0.11</td>
<td>1.1±0.3</td>
<td>-</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>3</td>
<td>4.2±0.3</td>
<td>914±144</td>
<td>1.03±0.17</td>
<td>1.2±0.15</td>
<td>-</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>4</td>
<td>4.04±0.7</td>
<td>930±250</td>
<td>1.04±0.23</td>
<td>1.32±0.15</td>
<td>-</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Fig. 6: Measured Sensitivity, S, vs. double layer capacitance, $C_d$ (left) and Charge transfer resistance, $R_{ct}$ (right). All data points are from Sensor No.1.

![Double layer capacitance vs. sensitivity](image)

![Charge transfer resistance vs. sensitivity](image)

Fig. 7: The real part of impedance vs. frequency for Sensor No.1.

![Real part of impedance](image)

a technique can be easily implemented on low-cost technologies such as VLSI design and enables autonomous devices to be made for continuous metabolite detection. In fact, state-of-the-art already includes low-power compact integrated circuits for impedance spectroscopy [23]–[25]. Ongoing work includes long-time experiments to fully quantify the correlation of sensitivity (both sudden and gradual changes) and $C_d$ in custom-designed electrochemical sensors [26], [27].

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REFERENCES