

# Isolated Gain Enhancement for Dual-Band C-Metaloop Antennas Using a Coplanar Compound Method

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**Abstract**—When the circumference of a round metaloop antenna (RoMLA), made of C-type meta-atoms, is one guided wavelength ( $1\lambda_g$ ) of the current on the loop, the RoMLA radiates a left-hand CP wave at frequency  $f_N$  and a right-hand CP wave at frequency  $f_H$  in the direction normal to the antenna plane. These CP waves have different maximum gains. This paper discusses enhancement in the small gain, not affecting the inherent large gain. Such uncorrelated enhancement in the gain, named the isolated gain enhancement (IsoGE), differs from conventional correlated gain enhancement (non-IsoGE). For IsoGE, a parasitic ring is inserted into the open space of the RoMLA, while maintaining the low-profile RoMLA structure on the order of  $\lambda_0/100$  with  $\lambda_0$  being the free-space operating wavelength. It is found that the ring finally transformed into a round patch is effective for the IsoGE, where the induced current on the patch contributes to increasing the small gain. The analysis, for the first time, shows that the axial ratio and VSWR are, respectively, less than 3 dB and 2 across the 3-dB gain bandwidths around  $f_N$  and  $f_H$ , as desired. Furthermore, the insertion of a square parasitic patch within the open space of a square metaloop antenna is also found to be effective for the IsoGE.

**Index Terms**—circular polarization, dual-band metaloop antenna, meta-atom, uncorrelated gain enhancement

## I. INTRODUCTION

THE gain is one of the major characteristics for an antenna [1][2]. A loop antenna [3][4] located in free space radiates a bidirectional, circularly polarized (CP) beam with a small gain, when the loop circumference is one guided wavelength ( $1\lambda_g$ ). This gain is increased by placing a conducting plate behind the loop antenna, as in a spiral antenna [5], where the distance between the plate and the loop is set to be  $\lambda_0/4$  ( $\lambda_0$  is the free-space wavelength at the design frequency). As the antenna height is reduced from  $\lambda_0/4$  to realize a low-profile structure, the gain is decreased. However, recent study has revealed that this gain reduction can be mitigated if the conducting plate is replaced by an EBG reflector [6]-[10], where the antenna height is, for example, approximately  $\lambda_0/10$ .

Responding to the emergence of metamaterial [11]-[13],

antennas are categorized into a natural antenna group and a metamaterial antenna (meta-antenna) group [14]. The propagation phase constant,  $\beta$ , for the current of the former has a positive value, and that of the latter has, at least, a negative value. Note that  $\beta$  for the current on the abovementioned loop antennas is positive, and hence these loop antennas (conventional loop antennas) belong to a natural antenna group. Also, note that a transmission line antenna that behaves like a  $\beta$ -negative (CL circuit, backward circuit) line in the low frequency band and a  $\beta$ -positive (LC circuit, forward circuit) line in the high frequency band [11] is categorized into a metamaterial-antenna group, based on the presence of the negative  $\beta$  current.

Recently, a flat square CP metamaterial loop (metaloop) antenna (SqMLA), which is made of C-type meta-atoms [15] and named C-SqMLA, has been created [16], where the antenna height is smaller than that for the EBG-backed loop antenna and is on the order of  $\lambda_0/100$ . It has been revealed that the SqMLA radiates a left-hand circularly polarized (LHCP) beam at a frequency ( $f_N$ ) and a right-hand circularly polarized (RHCP) beam at a different frequency ( $f_H$ ), i.e., the SqMLA acts as a dual-band anti-CP radiation element unlike conventional natural loop antennas. It has also been revealed that the gain for the SqMLA at  $f_N$  is smaller than that at  $f_H$ ; however, it has been described that the smaller gain at  $f_N$  can be enhanced by adding a parasitic loop *above* the SqMLA [17]. Note that this antenna structure destroys the attained low-profile flat structure of the SqMLA, although the gain at  $f_N$  is increased.

As will be summarized in this paper, a round metaloop antenna (RoMLA), made of C-type meta-atoms and named a C-RoMLA, shown in Fig. 1, is known as a dual-band anti-CP antenna and suffers from a CP small gain at  $f_N$ . As done for the small gain of the SqMLA, the placement of a parasitic loop *above* the C-RoMLA is a technique of increasing the small gain at the cost of the attained low-profile flat antenna structure.

In contrast, increasing the small gain for the C-RoMLA at  $f_N$  in [18] is performed without using a parasitic element above the loop; this is done by increasing the antenna arm length.

Manuscript received MM dd 2022, revised MM dd, 2022; Accepted MM dd, 2022. This work was supported in part by JSPS KAKENHI under Grant JP 21K04068. (Corresponding author: Hisamatsu Nakano).

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Digital Object Identifier 10.1109/TAP.xxxxxx

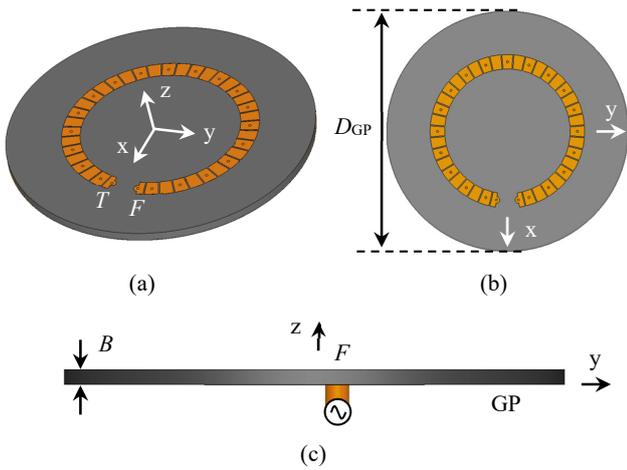


Fig. 1. Round metaloop antenna made of C-type metaatoms, C-RoMLA, where  $D_{GP} = 110$  mm. (a) Perspective view. (b) Top view. (c) Side view.

However, the increase in the arm length causes complex antenna design and high fabrication cost; in addition, another gain at  $f_H$  changes with additional arm length. Such enhancement is called the *non-isolated gain enhancement* (non-IsoGE) because it is against the definition of the *isolated gain enhancement* (IsoGE) where one of the two gains for a dual band anti-CP antenna is enhanced, not affecting the other gain. Note that IsoGE provides more freedom than the non-IsoGE in the design of CP communication systems.

Table I summarizes the gain enhancement (relative to the initial gain) of the prior CP metamaterial antennas [16], [18], [19], [20], [21], where  $G_{LH}$  and  $G_{RH}$  denote the LHCP and RHCP gains, respectively. The antenna structure using C-type meta-atoms [16], [18], [19], [21] acts as a dual-band antenna, and the antenna structure using quasi-N-type meta-atoms [20] also acts as a dual-band antenna. On the other hand, the antenna structure using N-type meta-atoms [19] acts as a single-band antenna. For comparison, the characteristics of the antenna realized in this paper is also presented in advance. Table I points out that the small gain of the conventional dual-band metamaterial antennas is increased, while decreasing undesirably the inherent/initial large gain. The prior work has

not succeeded in an uncorrelated gain enhancement, i.e., IsoGE. Note that the  $G_{LH}$  in the initial stage of the antenna in [20] using quasi-N-type meta-atoms is decreased in the final stage, while  $G_{RH}$  is increased. It follows that all prior antennas in Table I, except for the present work, do not realize IsoGE.

In this context, this paper investigates the IsoGE for a dual-band anti-CP metaloop antenna to obtain more freedom in the gain control. For this, a parasitic ring and its extremity (patch) are placed within the open space of the loop, having the same antenna height as the loop (coplanar compound method). The present paper clarifies the radiation characteristics of the metaloop antenna with the patch, including the VSWR, axial ratio, gain, and radiation pattern, for the first time.

The paper is composed of six sections. Section II revisits the C-RoMLA and briefly summarizes the basic radiation characteristics, which are obtained using an EM simulation tool [22]. The simulation clarifies an issue of gains  $G_{LH}$  and  $G_{RH}$ . Section III proposes placement of a conducting ring within the open space of the loop; we name this compound the RoMLA-RING and investigate the gain behavior at  $f_N$  and  $f_H$ , changing inner radius  $r_{ring}$  of the ring that has outer radius  $r_{RING}$ , i.e., changing ring width  $w_{RING} (= r_{RING} - r_{ring})$ . The investigation reveals that the ring transformed into a patch (at the extremity of the ring width:  $r_{ring} = 0$ , or  $w_{RING} = r_{RING}$ ) is effective for the IsoGE. The RoMLA with the patch is named the RoMLA-PATCH. Section IV confirms the validity of the analyzed antenna characteristics obtained in section III by measuring fabricated RoMLA-PATCHs. For further information, section V realizes the IsoGE for an SqMLA using the co-planar compound method, where a square parasitic patch is placed within the open space of the loop. Finally, section VI summarizes the obtained results in this paper.

Important comments C-1, C-2, and C-3 are made here to further clarify the novelty and effectiveness of the presented RoMLA-RING and RoMLA-PATCH, in addition to the difference in the patches used in [19] and those in the presented paper. C-1: Table II summarizes representative examples of the gain enhancement of conventional natural CP antennas [23], [24], [25], [26], [27]. Each operates across only a single band ( $N_{BND} = 1$ ) with single polarization ( $N_{POLAR} = 1$ ), where the number of parasitic elements is equal to one or more than four ( $N_{paras} \geq 4$ ). In contrast, the present antenna (whose details are

Table I. Examples of gain enhancement of CP metamaterial antennas. Arrows show the increased, decreased, and unchanged gains relative to the initial gains.

	Antenna shape	Meta-atom	Number of operation bands	Initial gain ( $G_{LH0}/G_{RH0}$ )	Increased gain ( $G_{LH}/G_{RH}$ )	IsoGE	Parasitic elements to increase the gain
[16]	Square	C-type	Dual	-1.5 dBi/3.0 dBi	NA	NA	Absent
[18]	Round	C-type	Dual	$\approx 5.5$ dBi/ $\approx 8.5$ dBi	$\uparrow \approx 7.0$ dBi/ $\approx 7.0$ dBi $\downarrow$	No	Absent
[19]	Round Round	N-type C-type	Single Dual	NA/NA NA/NA	11.7 dBi/NA 9.0 dBi/NA	NA NA	Absent Absent
[20]	Round	Quasi-N-type	Dual	$\approx 7.0$ dBi/ $\approx 3.0$ dBi	$\downarrow \approx 6.0$ dBi/ $\approx 6.0$ dBi $\uparrow$	No	Absent
[21]	Curl	C-type	Dual	$\approx 5.5$ dBi/ $\approx 8.5$ dBi	$\uparrow \approx 7.0$ dBi/ $\approx 7.0$ dBi $\downarrow$	No	Absent
This work	Round	C-type	Dual	5.0 dBi/9.0 dBi	$\uparrow 8.4$ dBi/ $\approx 9.0$ dBi $\rightarrow$	Yes	Round patch
	Square	C-type	Dual	3.5 dBi/9.2 dBi	$\uparrow 7.8$ dBi/9.2 dBi $\rightarrow$	Yes	Square patch

Table II. Examples of gain enhancement of natural CP antennas.

	Number of operation bands	Antenna area	Height	Gain	Fed antenna	Shape of parasitic patches	Number of parasitic patches	Coplanar compound
[23]	Single	$2.10\lambda_0^2$	$0.028\lambda_0$	12.5 dBi	Loop	Rectangular	8	Yes
[24]	Single	$0.85\lambda_0^2$	$0.028\lambda_0$	9.8 dBi	Loop	Square	8	Yes
[25]	Single	$1.27\lambda_0^2$	$0.116\lambda_0$	$\approx 8$ dBi	Patch	Rectangular	4	Yes
[26]	Single	$0.64\lambda_0^2$	$0.30\lambda_0$	8.6 dBi	L-shaped line	Square	1	No
[27]	Single	$2.98\lambda_0^2$	$0.618\lambda_0$	14.6 dBi	Patch	Square	25	No

described later) is characterized by  $N_{\text{BND}} = 2$ ,  $N_{\text{POLAR}} = 2$ , and  $N_{\text{paras}} = 1$ . This means that the present antenna extends capability of CP communication systems, having a simple structure. Note that antennas in [26], [27] lose a low-profile structure. Also, note that the natural antennas in Table II are unrelated to IsoGE because of  $N_{\text{BND}} = 1$ ; in addition, to the best of authors' knowledge, there has not been work on the IsoGE for natural and metamaterial CP antennas using a parasitic coplanar ring or its extremity (patch). Hence, it is worth investigating the combination of a metamaterial dual-band antenna and a natural parasitic ring from a viewpoint of the IsoGE.

C-2: The research purpose in [19] is to investigate the influence on the radiation characteristics of additional device that is inserted into the open space of an N-RoMLA, made of N-type meta-atoms [15]. The loop circumference is unusually large (compared with  $1.7\lambda_0$  of the work in this paper):  $3\lambda_0$ ,  $4\lambda_0$ , and  $5\lambda_0$  with  $\lambda_0$  being the free-space wavelength at a design low frequency. The additional device is generalized/substituted by a patch, which is not aimed to increase the gain. It follows that the research purpose, process, and findings for the large N-RoMLA with a patch in [19] obviously differ from those for the C-RoMLA to be discussed in this paper. The contents of paper [19] have nothing to do with IsoGE, although it shows that the gain for the N-RoMLA and C-RoMLA without a parasitic patch is increased as the loop circumference is increased.

C-3: The C-RoMLA in this paper exceeds the N-RoMLA [19] in the antenna performance; the former can operate as a dual-band anti-CP antenna:  $N_{\text{BND}} = 2$  and  $N_{\text{POLAR}} = 2$ , while the latter only operates across a single band with single polarization:  $N_{\text{BND}} = 1$  and  $N_{\text{POLAR}} = 1$ . Hence, this paper focuses on the C-RoMLA based on this advantage. From now on, "RoMLA" and "SqMLA" mean "C-RoMLA" and "C-SqMLA," respectively, unless otherwise noted, i.e., both are made of C-type meta-atoms [15], which are realization of the cells for a CRLH transmission line [11].

## II. BRIEF SUMMARY AND CLARIFICATION OF GAIN ISSUE FOR AN RoMLA

The fundamental information on RoMLA is available from [18], [20]. Therefore, this section presents the minimum information required for understanding this paper.

The dispersion diagram for the C-type meta-atom [15], used as a radiation element for the RoMLA in Fig. 1, is shown in Fig. 2. Note that the configuration and parameters of the C-type meta-atom are, respectively, summarized in Appendix-Fig. A

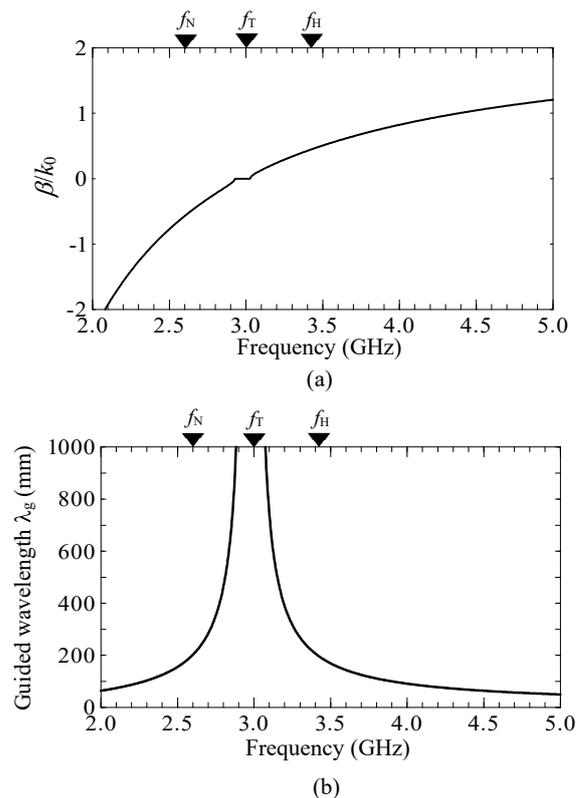


Fig. 2. C-type meta-atom. (a) Dispersion of  $\beta/k_0$ , where  $k_0$  is the phase constant in the free space, and  $\beta$  is the phase constant of current on the meta-atom. (b) Guided wavelength  $\lambda_g$  of the current on the meta-atom.

and Appendix-Table.

The center line of the loop has radius  $R_{\text{MLA}}$ , and both the ground plane and the dielectric substrate have the same radius of  $R_{\text{GP}} = D_{\text{GP}}/2$  ( $= 55$  mm). The RoMLA is excited at point F, to which the inner conductor of a coaxial line is connected. The end of the loop, T, is connected by a vertical conducting pin (diameter of  $2r_{\text{VIA}} = 1.0$  mm) to the ground plane through resistive load  $R_B$  ( $= 60$  ohms). If the resistive load  $R_B$  is not inserted, the current at point T on the loop does not completely die out and travels back to the feed point F. By absorption of the remaining current at point T using  $R_B$ , the RoMLA becomes a traveling wave antenna (a leaky wave antenna) of a one-way current from point F. Note that the radiation efficiency and the axial ratio under the conditions of matched load  $R_B$  and fixed

loop circumference are affected by the propagation attenuation constant of the current (which is frequency-dependent) related to the arm width and thickness of dielectric substrate relative to the operating wavelength.

The circumference of the loop,  $2\pi R_{MLA} \equiv C_{MLA}$ , as a function of frequency  $f$  is shown in Fig. 3, where  $C_{MLA}$  is normalized to the guided wavelength  $\lambda_g$  shown in Fig. 2(b). Note that a circularly polarized (CP) broadside beam appears at the frequency where the loop circumference is one guided wavelength ( $C_{MLA} = 1\lambda_g$ ) and close to one guided wavelength ( $C_{MLA} \approx 1\lambda_g$ ).

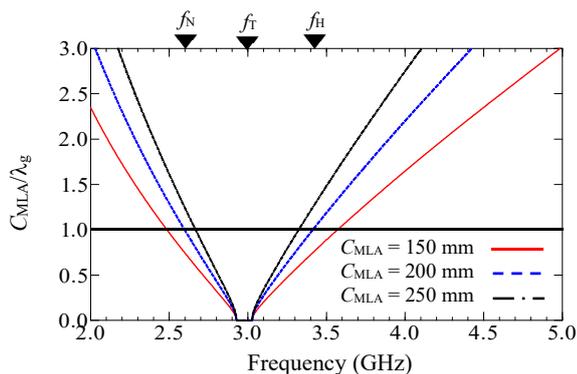


Fig. 3. Relative loop circumference  $C_{MLA}/\lambda_g$  as a function of frequency with loop circumference  $C_{MLA}$  as a parameter.

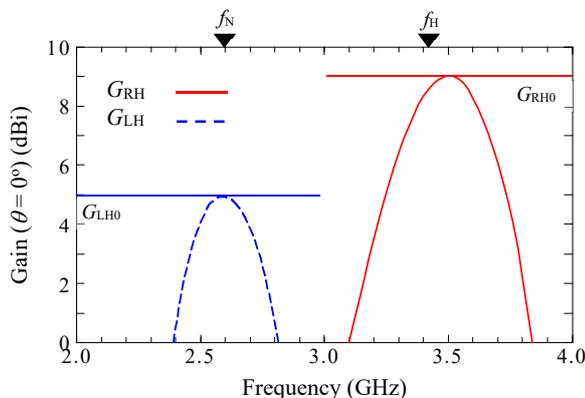


Fig. 4. Frequency response for the gain of RoMLA.

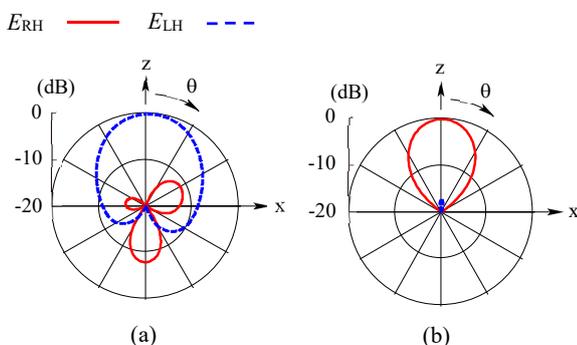


Fig. 5. Radiation pattern for RoMLA when the gain is the maximum. (a) 2.6 GHz. (b) 3.5 GHz.

There are two frequencies, called nion frequency  $f_N$  and hion frequency  $f_H$ , where the loop circumference equals  $1\lambda_g$  and meets the requirement of CP broadside/axial radiation. For example, when a value of  $C_{MLA} = 200$  mm is chosen, nion frequency  $f_N$  is 2.60 GHz and hion frequency  $f_H$  is 3.42 GHz. The following discussion is performed using  $C_{MLA} = 200$  mm as a representative example. This circumference is approximately  $1.7\lambda_0$  at  $f_N$ , which allows a parasitic element to exist within the open space of the loop and increase the antenna gain, as will be discussed in Section III.

Fig. 4 shows the simulation results of the frequency response of the gain for the RoMLA in the  $z$ -direction. The maximum gain for an LHCP wave,  $G_{LH}$ , appears at 2.6 GHz ( $= f_N$ ), while the maximum gain for an RHCP wave,  $G_{RH}$ , appears at 3.5 GHz ( $\approx f_H$ ), as expected. The values of these gains are not the same. The reason for this unbalance is attributed to the difference in the *electrical* antenna size with respect to the free-space wavelength;  $C_{MLA}/\lambda_0$  at 2.6 GHz is smaller than that at 3.5 GHz. This brings a difference in the radiation patterns at the two frequencies of  $f_N$  and  $f_H$ , resulting in the different gains.

For reference, Fig. 5 shows the simulated radiation patterns when the maximum gains of  $G_{LH}$  and  $G_{RH}$  (denoted as initial gains  $G_{LH0}$  and  $G_{RH0}$ , respectively) appear; these radiation patterns are normalized to the respective maximum intensities in the  $z$ -direction, and  $E_{LH}$  and  $E_{RH}$  denote the LHCP and RHCP radiation field components, respectively. The current on the loop at 2.6 GHz has a negative propagation phase constant ( $\beta < 0$ , leading to a progressive phase progression) and behaves as if it flows clockwise, resulting in  $E_{LH}$  being a principal field component. In contrast, the principal field component at 3.5 GHz near  $f_H$  is  $E_{RH}$ , resulting from the current of a positive propagation phase constant ( $\beta > 0$ , leading to a regressive phase progression and a counterclockwise current flow).

### III. ISOGE FOR THE ROMLA USING A COPLANAR COMPOUND METHOD

#### A. Gain

As summarized in Section II, the representative RoMLA radiates a CP unidirectional beam in the  $z$ -direction and has two different maximal gains of  $G_{LH0}$  and  $G_{RH0}$ , where  $G_{LH0} < G_{RH0}$ . The challenging work in this paper is to realize the IsoGE for the RoMLA, i.e., to increase the small gain  $G_{LH0}$  appearing at/near  $f_N$ , not affecting the inherent/initial large gain  $G_{RH0}$  appearing at/near  $f_H$ . Note that, as described in Introduction, the N-RoMLA in [19] is a single band antenna and hence it does not need to discuss IsoGE; remember that IsoGE applies to only a dual-band CP antenna.

To enhance the gain  $G_{LH0}$  (initial gain), a conducting parasitic ring is printed within the RoMLA, as shown in Fig. 6(a). This compound is denoted as RoMLA-RING. The height of the ring is the same as that of the loop (coplanar compound method). The ring is specified by outer ring radius  $r_{RING}$ , inner ring radius  $r_{ring}$ , and ring width  $w_{RING} = r_{RING} - r_{ring}$ . Fig. 6(b) shows the gain behavior observed at 2.6 GHz  $= f_N$  and 3.5 GHz  $\approx f_H$  as a function of  $w_{RING}$ , where  $r_{RING}$  is chosen to be 19.0 mm and fixed:  $r_{RING} = 19.0$  mm. Note that this ring radius  $r_{RING}$  is close

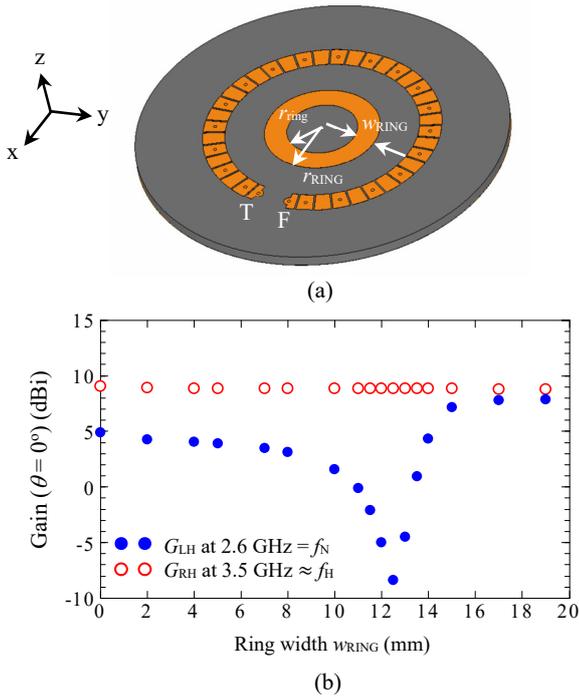


Fig. 6. RoMLA-RING. (a) Configuration, where the circumference of RoMLA is  $C_{\text{MLA}} = 200 \text{ mm}$  and the outer radius of a ring is  $r_{\text{RING}} = 19.0 \text{ mm}$ . (b) Gains observed at  $2.6 \text{ GHz} = f_N$  and  $3.5 \text{ GHz} \approx f_H$  with ring width  $w_{\text{RING}}$  as a parameter.

to the radius  $r_{\text{exp}} (= 19.5 \text{ mm})$  in the following Eq. (1) for a round patch antenna working in  $\text{TM}_{110}^z$  mode at  $f = f_N = 2.6 \text{ GHz}$  [28], where  $r_{\text{exp}}$  is obtained by solving Eq. (1) after substituting Eq. (2) into Eq. (1).

$$r_{\text{exp}} = \frac{r_{\text{eff}}}{\sqrt{1 + \frac{2B}{\pi\epsilon_r r_{\text{exp}}} (\ln \frac{\pi r_{\text{exp}}}{2B} + 1.7726)}} \quad (1)$$

where

$$r_{\text{eff}} = \frac{1.8412}{2\pi C_0 f \sqrt{\epsilon_r}} \quad (2)$$

with  $C_0$  being the velocity of light.

The situation where width  $w_{\text{RING}}$  is zero means that the ring does not exist, and the situation where  $w_{\text{RING}}$  equals the outer ring radius  $r_{\text{RING}}$  (hence, inner ring radius  $r_{\text{ring}} = 0$ ) means that the ring is transformed into a round patch. Fig. 6(b) points out that, with increase in  $w_{\text{RING}}$ , the gain  $G_{\text{LH}}$  at  $f_N$  decreases from the initial gain  $G_{\text{LH0}}$  to a minimum value; after passing it, the gain  $G_{\text{LH}}$  increases and reaches a maximum value, which is larger than  $G_{\text{LH0}}$ . During the change in  $w_{\text{RING}}$ , the large gain near  $f_H$  remains unchanged. Thus, the IsoGE is realized when  $w_{\text{RING}} = r_{\text{RING}}$  (patch structure) and  $w_{\text{RING}} \approx r_{\text{RING}}$ .

Based on the usefulness of the patch structure for the IsoGE, the frequency response of gain is investigated with patch radius  $r_{\text{PATCH}}$  as a parameter. Fig. 7 depicts the simulation results of the gain. It is found that all maximum gains of  $G_{\text{LH}}$  for the RoMLA-PATCH is larger than the initial  $G_{\text{LH0}}$ , while the maximum gain of  $G_{\text{RH}}$  remains unchanged. The increase in  $G_{\text{LH}}$  is more than 3 dB, depending on  $r_{\text{PATCH}}$ . This is due to the strong

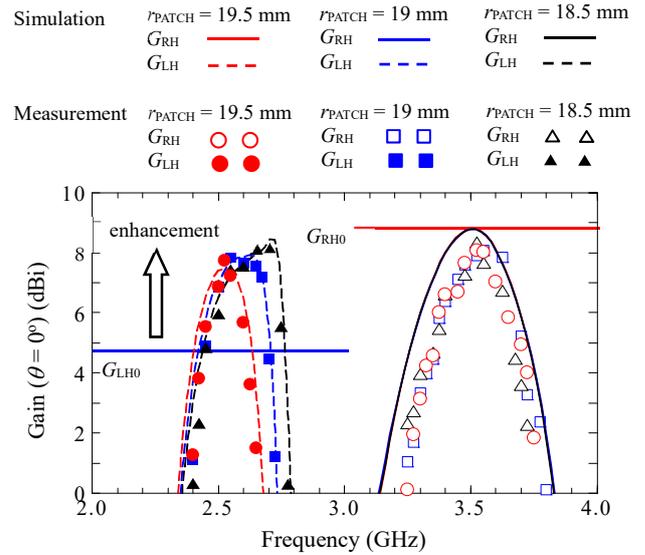


Fig. 7. Gain of RoMLA-PATCH as a function of frequency with patch radius  $r_{\text{PATCH}}$  as a parameter, where  $C_{\text{MLA}} = 200 \text{ mm}$ . Note that the simulated RHCP gains ( $G_{\text{RH}}$ ) for three  $r_{\text{PATCH}}$  cases are superimposed.

Table III. Comparison between  $r_{\text{PATCH}}$  and  $r_{\text{exp}}$ .

$f$	$r_{\text{exp}}$	$r_{\text{PATCH}}$	$\frac{r_{\text{exp}} - r_{\text{PATCH}}}{r_{\text{PATCH}}}$
2.50 GHz	20.3 mm	19.5 mm	4.1%
2.60 GHz	19.5 mm	19.0 mm	2.6%
2.70 GHz	18.7 mm	18.5 mm	1.1%

coupling of the parasitic patch to the RoMLA, in other words, the generation of the currents on the patch.

Table III summarizes the difference between patch radius  $r_{\text{PATCH}}$  where gain  $G_{\text{LH}}$  is maximal at frequency  $f$  (found in Fig. 7) and  $r_{\text{exp}}$  given by Eq. (1) at the same frequency  $f$ . As seen from the Table, Eq. (1) is useful to infer the patch radius  $r_{\text{PATCH}}$  for strong coupling.

To provide deep insight on the coupling state, Figs. 8(a) and (b) show the frequency-domain electric field distributions (FreqD E-distributions) for the RoMLA itself (without a patch) and RoMLA-PATCH, respectively. Both are observed at 2.7 GHz. It is clear that the electric field spreads out within the open space of the RoMLA due to coupling of the patch to the RoMLA. For supplementary information, Fig. 8(c) shows the FreqD E-distribution when the patch is short-circuited by a single conducting pin extending from the center point of the patch to the ground plane. The behavior in Fig. 8(c) is found to be almost the same as that in Fig. 8(b), because the electric field intensity around the  $z$ -axis in Fig. 8(b) is extremely weak and hence the coupling is not affected by the presence of the conducting pin. However, when the outer edge of the patch is short-circuited by numerous pins, the resonance disappears, as shown in Fig. 8(d), where 32 pins are used. Note that the FreqD E-distribution at 2.7 GHz, Fig. 8(b), is changed into that shown

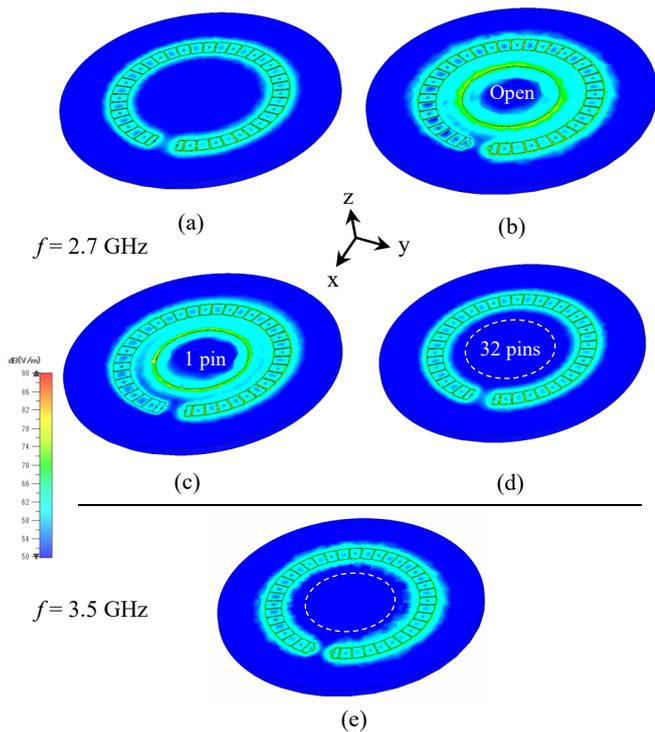


Fig. 8. Frequency-domain electric field distribution (FreqD E-distribution) at 2.7 GHz and 3.5 GHz. The patch has a radius of  $r_{\text{PATCH}} = 18.5$  mm. The observation frequency in Fig. (a) to (d) is 2.7 GHz, and that in Fig. (e) is 3.5 GHz. (a) RoMLA in the absence of the patch. (b) RoMLA-PATCH, where the patch is open-circuited. (c) RoMLA-PATCH, where the patch is short-circuited by a single center conducting pin. (d) RoMLA-PATCH, where the edge of the patch is short-circuited by 32 conducting pins. (e) RoMLA-PATCH, where the patch is open-circuited at 3.5 GHz.

in Fig. 8(e) when frequency is changed to 3.5 GHz. It is confirmed that the patch has no coupling of the RoMLA, resulting in maintaining the initial large gain  $G_{\text{RH0}}$ .

We focus on the time-domain current distribution (TimeD J-distribution) for the RoMLA-PATCH in the coupling state at 2.7 GHz, because of no effect of the patch on the large gain  $G_{\text{RH0}}$  at 3.5 GHz. Fig. 9 shows the TimeD J-distribution at 2.7 GHz. It is found that the currents on the parasitic patch, generated by coupling to the loop, are in the same direction. These rotate *clockwise*, as the current on the loop. As a result, the enhancement of the LHCP gain  $G_{\text{LH}}$  is realized.

### B. Radiation pattern and input characteristic

In addition to the gain, other characteristics for the RoMLA-PATCH are investigated in this subsection, where the parasitic patch radius is set to be  $r_{\text{PATCH}} = 18.5$  mm as a representative example.

Fig. 10 shows the radiation pattern when the gains  $G_{\text{LH}}$  and  $G_{\text{RH}}$  for the RoMLA-PATCH reach respective maximum values. The radiation pattern at 2.7 GHz has an  $E_{\text{L}}$ -half-power beam width (HPBW) of  $63^\circ$ , which is narrower than that of  $70^\circ$  in Fig. 5(a). This is consistent with antenna theory that a narrower HPBW leads to a higher directivity (gain). Note that the  $E_{\text{R}}$ -HPBW in Fig. 10(b) and that in Fig. 5(b) are almost the same

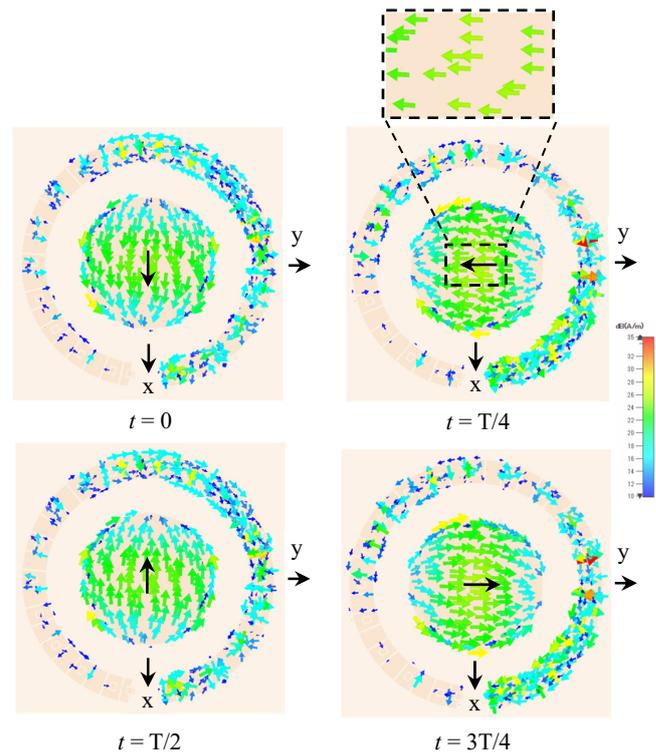


Fig. 9. Time-domain current distribution for the RoMLA-PATCH, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm.  $T$  is one time-periodicity. At 2.7 GHz, where  $\beta < 0$ .

( $45^\circ$ ), resulting in no remarkable change in the gain  $G_{\text{RH}}$ , as shown in Fig. 7, where  $G_{\text{RH}}$ 's for three  $r_{\text{PATCH}}$  cases are superimposed.

Fig. 11 shows the frequency response of the axial ratio (AR) for the RoMLA-PATCH. The shaded area denotes the frequency region for 3-dB gain bandwidth, GBW. It is found that the AR across the LHCP GBW is stable with a value of less than 3 dB. This holds for the AR across the RHCP GBW. As additional information, the simulation results in the absence of the patch (i.e., RoMLA itself) is also shown in Fig. 11. A comparison of the axial ratios for the RoMLA-PATCH and the

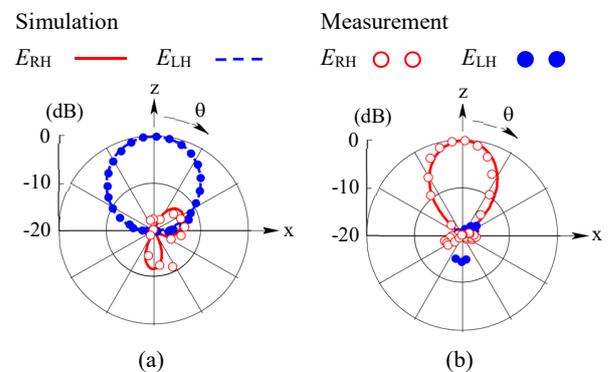


Fig. 10. Radiation pattern for the RoMLA-PATCH when the gains  $G_{\text{LH}}$  and  $G_{\text{RH}}$  reach respective maximum values, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm as a representative example. (a) At 2.7 GHz. (b) At 3.5 GHz.

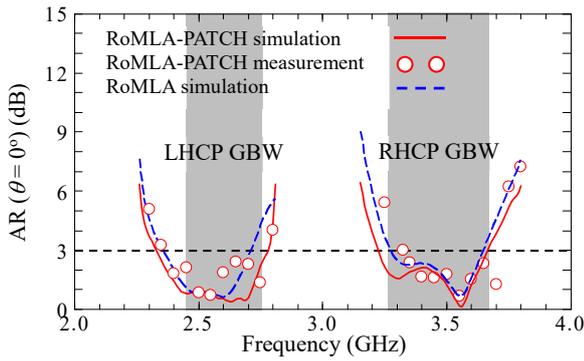


Fig. 11. AR for the RoMLA-PATCH, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm. The AR for the RoMLA is also illustrated as additional information.

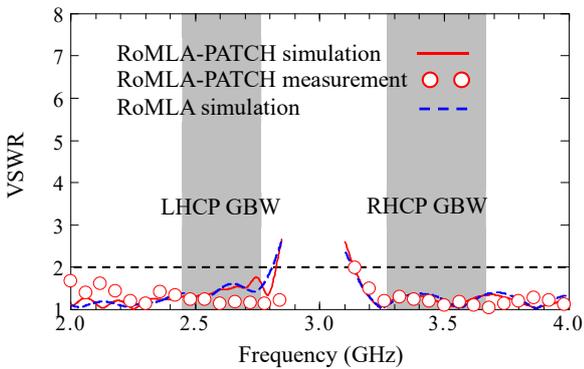


Fig. 12. VSWR for the RoMLA-PATCH, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm. The VSWR for the RoMLA in the absence of the patch is also illustrated as additional information.

RoMLA reveals that the inserted patch does not remarkably affect the axial ratio for the RoMLA.

The frequency response of the input characteristic in terms of the VSWR for the RoMLA-PATCH is shown in Fig. 12. For comparison, the VSWR for the RoMLA in the absence of the patch (i.e., RoMLA itself) is also shown in this figure. It is found that the presence of the patch does not deteriorate the VSWR, as in the case of the axial ratio. The VSWR across the 3-dB gain bandwidth is found to be desirable with a value of less than 2.

As mentioned in section II, the arm end of the loop is terminated by resistive load  $R_B$ , which absorbs non-radiated power remaining at point T. The ratio of the radiated power to the input power is called the radiation efficiency,  $\eta_{\text{RAD}}$ . Fig. 13 shows the simulation results of the radiation efficiency for the RoMLA-PATCH. For comparison, the radiation efficiency of the RoMLA in the absence of the patch (i.e., RoMLA itself) is also presented. It is found that the insertion of the patch into the RoMLA increases  $\eta_{\text{RAD}}$  around non frequency  $f_N$ , while almost maintaining  $\eta_{\text{RAD}}$  around hion frequency  $f_H$ . These results, obtained using the EM simulation tool [22], are in good agreement with those obtained using an estimation equation specified by S parameters.

$$\eta_{\text{RAD}} \approx 1 - |S_{11}|^2 - |S_{21}|^2 \quad (3)$$

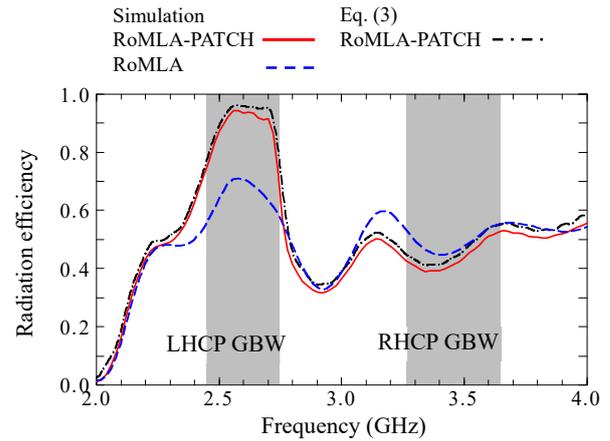


Fig. 13. Radiation efficiency for the RoMLA-PATCH, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm. The radiation efficiency for the RoMLA in the absence of the patch is also illustrated as additional information.

where the dielectric loss and conducting loss along the loop are assumed to be negligibly small. Simulation for  $S_{21}$  by [22] is performed using the input port (1) at F (waveguide-port) and the output port (2) at T (discrete-port).

#### IV. MEASUREMENT RESULTS FOR THE RoMLA-PATCH

To confirm the antenna characteristics for the RoMLA-PATCH, the measurement is performed using fabricated antennas. One of the fabricated RoMLA-PATCHs is shown in Fig. 14, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm. The measured results of the gain, radiation pattern, axial ratio, and VSWR are added to Figs. 7, 10, 11, and 12, respectively, which show reasonable agreement with the simulation results.

#### V. ISOGE FOR A SQMLA USING A COPLANAR COMPOUND METHOD

The sections III and IV reveal the radiation characteristics for the RoMLA-RING and RoMLA-PATCH, where the LHCP gain,  $G_{\text{LH}}$ , is enhanced by a coplanar compound method, not affecting the RHCP gain (IsoGE). This section presents another discussion for the IsoGE for a square metaloop antenna, SqMLA.

A compound antenna consisting of the SqMLA and a

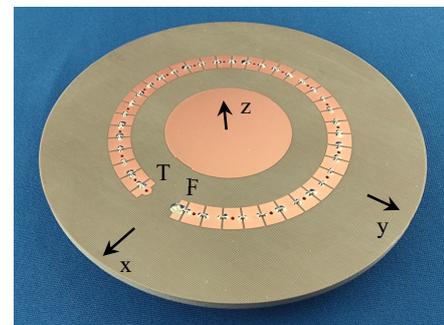


Fig. 14. An example of a fabricated RoMLA-PATCH, where the patch radius is  $r_{\text{PATCH}} = 18.5$  mm.

conducting coplanar parasitic square patch is shown in Fig. 15, and is designated as the SqMLA-PATCH. The SqMLA is made of numerous C-type meta-atoms. Note that the meta-atom used here is already illustrated in Appendix-Fig. A, with parameters given in Appendix-Table, and is characterized by the dispersion diagram in Fig. 2. The perimeter of the SqMLA and the patch side length are denoted as  $C_{\text{SqMLA}}$  and  $L_{\text{PATCH}}$ , respectively. The center point of the patch is coincident with center point of the SqMLA. The ground plane backing the dielectric substrate is square and the side length is  $S_{\text{GP}} (= 110 \text{ mm})$ .

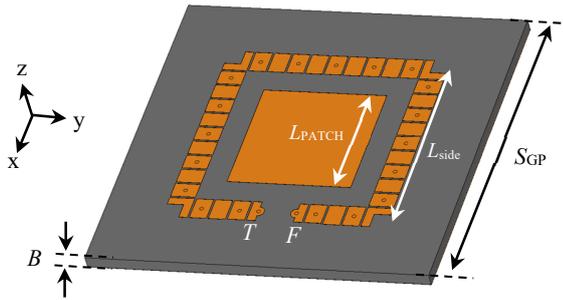


Fig. 15. Configuration of the SqMLA with a conducting coplanar patch whose side length is  $L_{\text{PATCH}}$ .

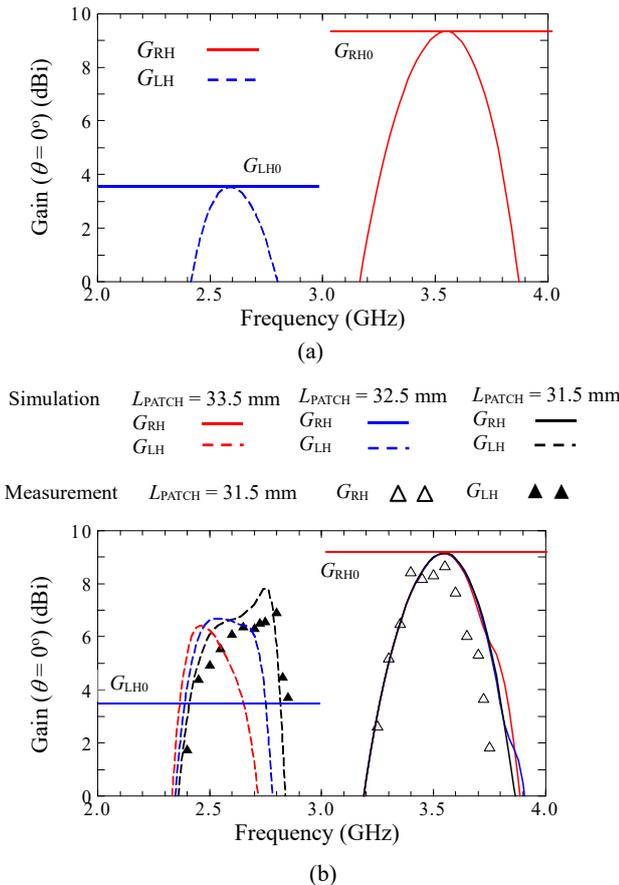


Fig. 16. Gain as a function of frequency. (a) SqMLA. (b) SqMLA-PATCH, where the patch side length ( $L_{\text{PATCH}}$ ) is used as a parameter. Note that the simulated RHCP gains for three values of  $L_{\text{PATCH}}$  are almost superimposed.

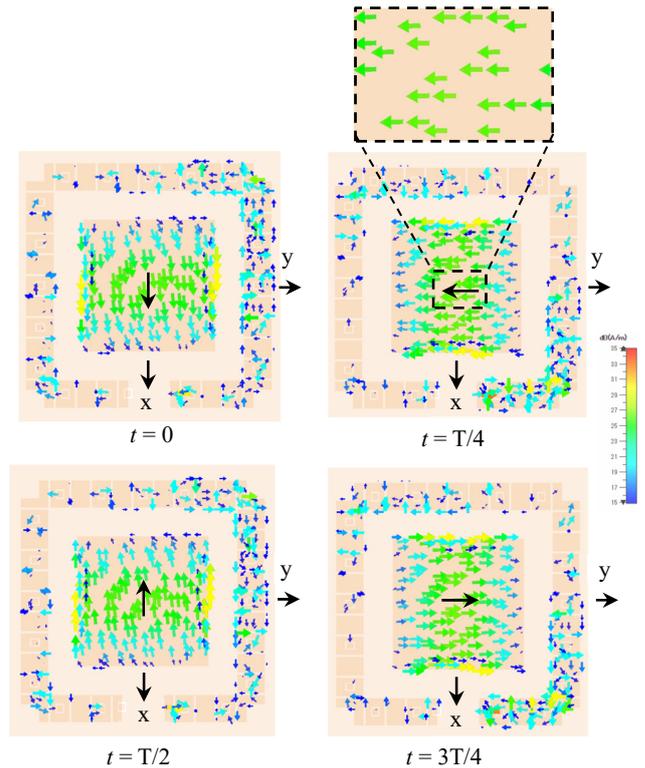


Fig. 17. Time-domain current distribution for the SqMLA-PATCH at 2.75 GHz ( $\beta < 0$ ), where the patch side length is  $L_{\text{PATCH}} = 31.5 \text{ mm}$ .  $T$  is one-time period.

Fig. 16(a) shows the frequency response of the gain for the SqMLA before the patch is inserted, where  $C_{\text{SqMLA}} = 4L_{\text{side}} = 208.4 \text{ mm}$ , which becomes  $1\lambda_g$  at 2.61 GHz for  $\beta < 0$  and 3.40 GHz for  $\beta > 0$  in Fig. 2. It is found that gains  $G_{\text{LH}}$  and  $G_{\text{RH}}$  reach respective maximum values near these frequencies. It is also found that the maximum LHCP gain is smaller than the maximum RHCP gain:  $G_{\text{LH0}} = 3.5 \text{ dBi}$  and  $G_{\text{RH0}} = 9.2 \text{ dBi}$ . Fig. 16(b) shows the frequency response of the gain for the SqMLA-PATCH with patch side length  $L_{\text{PATCH}}$  as a parameter. It is revealed that  $G_{\text{LH}}$  is enhanced, while  $G_{\text{RH}}$  remains unchanged. Thus, the IsoGE for the SqMLA is realized. Note that the three values of  $G_{\text{RH}}$  are almost superimposed.

As in the case of the RoMLA-PATCH, the increase in  $G_{\text{LH}}$  is attributed to coupling of the patch to the SqMLA. For a better understanding of this fact, Fig. 17 shows one example of the TimeD J-distribution (time-domain current distribution) at 2.75 GHz, where  $G_{\text{LH}}$  for the SqMLA-PATCH is at its maximum value, with a patch side length of  $L_{\text{PATCH}} = 31.5 \text{ mm}$ . It is found that the patch is coupled to the SqMLA and the current on the patch rotates clockwise due to the negative propagation phase constant ( $\beta < 0$ ) of the current on the SqMLA. The radiation at 2.75 GHz is LHCP.

Although not illustrated, the simulation results show that there is no remarkable coupling of the patch to the SqMLA at 3.55 GHz, where the right-hand CP gain,  $G_{\text{RH}}$ , is at its maximum value. As a result,  $G_{\text{RH}}$  for the SqMLA without the patch remains unchanged, as desired. The current at this

Table IV. Square patch resonance frequency  $f_{eq}$  and simulated frequency  $f_{sim}$  for maximum  $G_{LH}$ .

$L_{PATCH}$	$f_{eq}$	$f_{sim}$	$\frac{f_{eq} - f_{sim}}{f_{sim}}$
33.5 mm	2.53 GHz	2.46 GHz	2.8%
32.5 mm	2.61 GHz	2.54 GHz	2.8%
31.5 mm	2.68 GHz	2.75 GHz	2.5%

frequency rotates counterclockwise due to a positive  $\beta$ , and the SqMLA-PATCH radiates an RHCP wave.

Finally, we estimate the frequency at which strong coupling occurs and  $G_{LH}$  reaches a maximum value. For this, we calculate the patch resonance frequency,  $f_{eq}$ , using Eq. (4) [28].

$$f_{eq} = \frac{c_0}{2\sqrt{\epsilon_r}} \left( \frac{1}{L_{PATCH} + 2\Delta L_{PATCH}} \right) \quad (4)$$

where  $\Delta L_{PATCH} \approx 0.5B$ . Table IV shows  $f_{eq}$  for different patch side lengths, together with the maximum  $G_{LH}$  frequency,  $f_{sim}$ , obtained from Fig. 16(b) (simulation results). It is found that the difference between  $f_{eq}$  and  $f_{sim}$  is small. Hence, Eq. (4) can be used for estimating the frequency at which  $G_{LH}$  is at its maximum value, realizing the IsoGE.

## VI. CONCLUSION

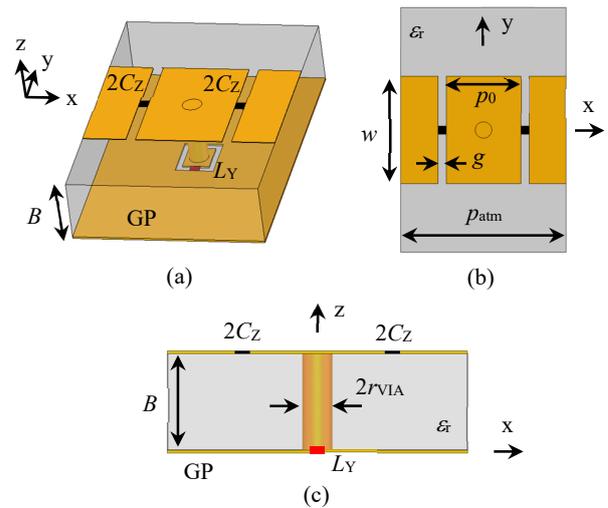
The RoMLA has the LHCP gain,  $G_{LH}$ , near nion frequency  $f_N$ , which is smaller than the RHCP gain,  $G_{RH}$ , near hion frequency  $f_H$ . To realize the IsoGE (isolated gain enhancement) for the RoMLA, a conducting parasitic ring has been inserted into the RoMLA, denoted as RoMLA-RING. When the ring is transformed into its extremity (a round patch), the patch is electromagnetically coupled to the RoMLA, and the current is generated on it, resulting in the radiation of an LHCP wave. It is found that the  $G_{LH}$  is increased, while not affecting the gain  $G_{RH}$ . Thus, the IsoGE has been realized. The parasitic patch radius and coupling frequency for such an IsoGE state are well estimated using a patch antenna operating in the  $TM_{110}^2$  mode. The measurement results, including the gain, radiation pattern, axial ratio, and VSWR of the C-RoMLA with the patch show reasonable agreement with the simulation results.

Further investigation has revealed that an SqMLA with a parasitic patch (SqMLA-PATCH) has an increased LHCP gain with almost unchanged RHCP gain. Thus, the IsoGE for the SqMLA has been realized. It is found that the parasitic square patch size for the IsoGE can be estimated by the size of a fed square patch antenna.

## APPENDIX

### C-TYPE META-ATOM

A section of length  $p_{atm}$  shown in Appendix-Fig. A is called a C-type meta-atom, which is supported by a grounded dielectric substrate of thickness  $B$  and relative permittivity  $\epsilon_r$ . Notation  $p_0$  is the length of a conducting small strip and notation  $g$  is the gap between neighboring strips. A chip element of



Appendix-Fig. A. C-type meta-atom. (a) Perspective view. (b) Top view. (c) Side view.

Appendix-Table. Parameters for C-type meta-atom.

Symbol	Value	Symbol	Value
$B$	3.2 mm	$\epsilon_r$	2.6
$p_{atm}$	10 mm	$w$	6.6 mm
$p_0$	4.5 mm	$g$	0.5 mm
$2r_{VIA}$	1.0 mm	$L_Y$	1.8 nH
$2C_Z$	1.2 pF		

inductance  $L_Y$  is inserted between the ground plane, GP, and the end of a conducting pin of diameter  $2r_{VIA}$ , which extends vertically from the center strip of length  $p_0$ ; a chip element of capacitance  $2C_Z$  is inserted into the gap of  $g$ .

Appendix-Table presents the parameters for the C-type meta-atom used in this paper, which are optimized such that the transition frequency,  $f_T$ , is 3 GHz, as shown by the dispersion diagram in Fig. 2, where  $\beta$  is the propagation phase constant of the current on the C-type meta-atom and  $k_0$  is the wave number in free space.

## ACKNOWLEDGMENT

The authors thank V. Shkawrytko for his assistance in the preparation of this manuscript. This work was supported in part by the Japan Society for the Promotion of Science (JSPS) KAKENHI under Grant JP21K04068.

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